## Final Assessment Test(FAT) - Apr/May 2025

Programme	B.Tech.	Semester	Winter Semester 2024-25
Course Code	BMEE330L	Faculty Name	Prof. N.gobinath
Course Title	Control Systems	Slot	E1+TE1
		Class Nbr	CH2024250500602
Time	3 hours	Max. Marks	100

## **Instructions To Candidates**

- Write only your registration number in the designated box on the question paper. Writing anything elsewhere
  on the question paper will be considered a violation.
- Two line graphs and one semi-log graph sheets are provided

## **Course Outcomes**

- CO1: Apply the concepts of control systems and modelling techniques
- CO2: Develop various representations of system based on the first principles approach
- CO3: Infer the domain specifications from the time and frequency response
- CO4: Analyse the stability of closed-loop systems using different techniques
- CO5: Demonstrate the state-space representation and modern control theory
- CO6: Design appropriate control systems for different applications

## Answer all Questions (10 × 10 Marks)

01. Identify and explain the function of key components of a control system in any practical application.

[10] (CO1/K2)

92. Using Mason's gain formula find the transfer function of the system in Figure 1

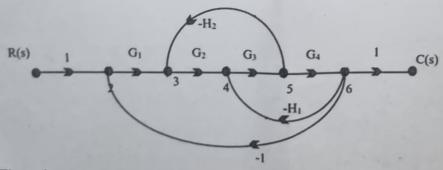


Figure 1.

[10] (CO2/K4)

u03. Determine the transfer function  $\frac{C(s)}{R(s)}$  for the given system in Figure 2

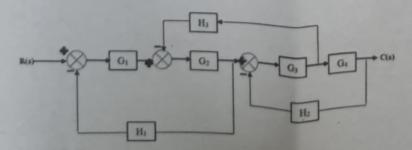


Figure 2.

 $\sqrt{94}$ . Find the transfer function,  $G(s) = \frac{X2(s)}{F(s)}$  for the translational mechanical system shown in Figure 3.

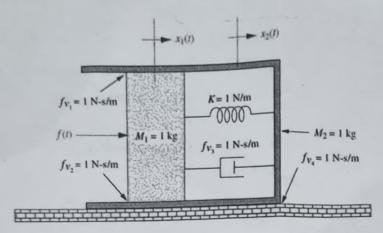


Figure 3.

[10] (CO2/K4)

05. Analyze the electrical network as given in figure 4 and derive its transfer function. Based on your findings, evaluate how the system responds to any one of the standard test signals.

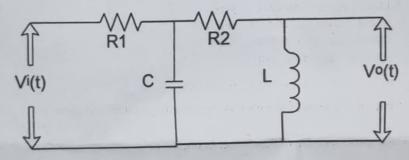


Figure 4.

[10] (CO3/K3)

06. Explain the effect of proportional (P), integral (I), derivative (D), and their combinations (PI, PD, and PID) on the transient and steady-state response of a control system.

[10] (CO6/K3)

The open loop transfer function of a unity negative feed back system is given by  $\frac{K}{s(s^2+8s+32)}$ . Draw the root locus as the value of k varies from zero to Infinity.

[10] (CO4/K4)

Sketch the polar plot of the function  $G(s) = \frac{1}{s(1+s)(1+2s)}$ . Also determine the gain margin, phase margin,  $H(s) = \frac{1}{1}$ .

[10] (CO3/K4)

09. Draw the Nyquist plot for the system, whose open loop transfer function is  $G(s)H(s) = \frac{K(1+0.s)(1+s)}{(10s+1)(s-1)}$ Determine the range of K for which the closed-loop system is stable.

[10] (CO4/K5)

10. Construct a state model for a system characterized by the differential equation,

$$\frac{d^3y}{dt^3} + 6\frac{d^2y}{dt^2} + 11\frac{dy}{dt} + 6y + u = 0$$

Also give the block diagram representation of the state model

[10] (CO5/K5)